

Two ABM approaches to the spread of the Neolithic in the western Mediterranean

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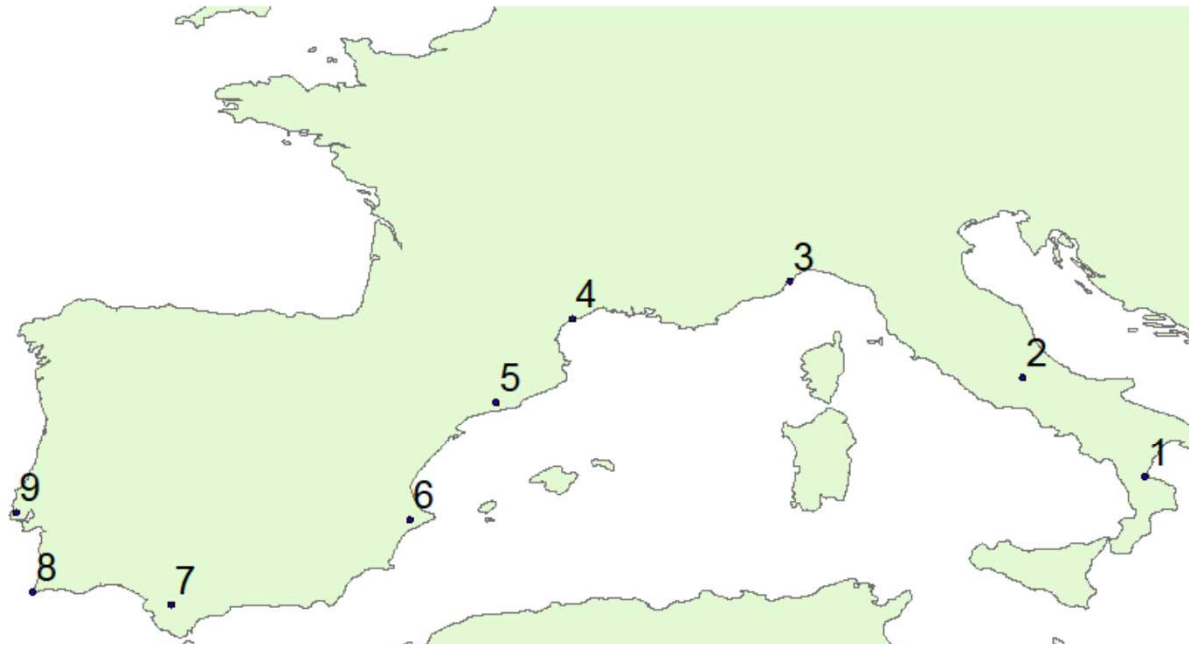
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Background

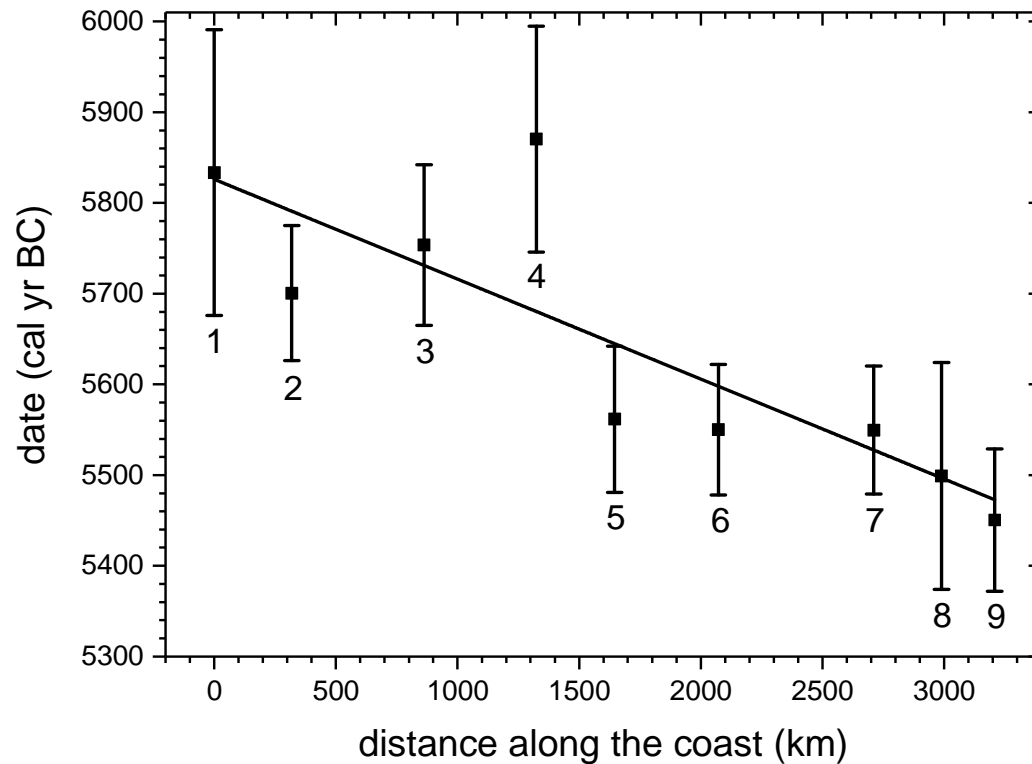
- 20 years ago Zilhao (*PNAS* 2001) noted that **'the dates for the first appearance of the Neolithic package are indistinguishable statistically from central Italy to Portugal'**. He reached this conclusion after rejecting almost all dates, e.g., all long-lived samples (due to the old-wood effect).
- 15 years ago it was still not possible to estimate the spread rate in km/yr due to the paucity of reliable dates (Zilhao, personal communication, 10/3/2006).
- 5 years ago we estimated the spread rate as **8.7 km/yr** (Isern, Zilhao, Fort & Ammeran, *PNAS* 2017).
- This year: analysis on dispersal distances and the cultural effect (Fort, AAS 2022). It is the topic of this talk.



- New database.
- 215 early Neolithic sites.
- 3 new regions: 1, 2, and 4 (not included in our *PNAS* 2017).
- Oldest date per region on a domesticated, short-lived species.

Region	uncal BP	error	cal. BC max	cal. BC min	site
1 Southwestern Italy	6956	75	5991	5676	<u>Favella della Corte</u>
2 Central western Italy	6809	45	5774	5626	Colle Santo Stefano
3 NW Italy/SE France	6870	40	5842	5665	Arene Candide
4 Languedoc/Roussillon	7010	60	5995	5746	<u>Pont de Roque-Haute</u>
5 Catalonia	6655	45	5642	5481	Guixeres (de Vilobí)
6 Valencia	6600	50	5622	5478	Mas d'Is
7 Andalusia	6609	35	5620	5479	Dehesilla
8 southern Portugal	6550	70	5624	5374	Cabranosa
9 central Portugal	6497	34	5529	5372	Lameiras

Spread rate



9.1 km/yr, $r = 0.84$.

It is encouraging that this spread rate is similar to our previous estimation of 8.7 km/yr (Isern et al., *PNAS* 2017).

Bootstrap resampling using the calibrated probability distribution for each site: **7.5-10.6 km/yr** (80% CL). We will use this range in other slides. The mean is 9.1 km/yr, nicely consistent with the value above.

Technical note: The usual approach (based Student's t) yields 5.9-12.3 km/yr (80% CL) but is invalid because the data (squares) have not been found by sampling from normal distributions with a single variance and centered about the regression.

Agent-based model (ABM)

- Rectangular grid of square cells. This allows us to obtain analytical equations for the spread rate.

A real map would yield similar results (Isern et al., *PNAS* 2017).

- Initially farmers only at the lower row.
- All other grid cells are initially empty of farmers and with HGs at their saturation density.

- At each node in the grid and time step (of 1 generation =32 yr), we compute 3 processes:

(1) Reproduction: logistic, with net fecundities $R_0 = e^{aT} = 2.45$ for farmers and $R'_0 = e^{a'T} = 1.81$ for HGs (from ethnographic data), where a and a' are the growth rates.

Technical note: Carrying capacities: 1.28 farmers/km², 0.064 HGs/km² (from ethnography). They do not have any effect on the spread rates, neither does R'_0 .

Agent-based model (ABM)

(2) Cultural transmission (e.g., interbreeding):

P_N = farmers

P_{HG} = hunter-gatherers

Cultural transmission theory [1-3] (children of mixed matings are farmers):

$$P_N(t + 1, x, y) = P_N(t, x, y) + \eta \frac{P_{HG}P_N}{P_{HG} + P_N}$$

$$P_{HG}(t + 1, x, y) = P_{HG}(t, x, y) - \eta \frac{P_{HG}P_N}{P_{HG} + P_N}$$

η = intensity of interbreeding $0 \leq \eta \leq 1$ (random mating $\rightarrow \eta = 1$)

[1] Cavalli-Sforza & Feldman, *Cultural transmission & evol.*, Princeton 1981

[2] Fort, *Phys. Rev. E* 2011

[3] Fort, *PNAS* 2012

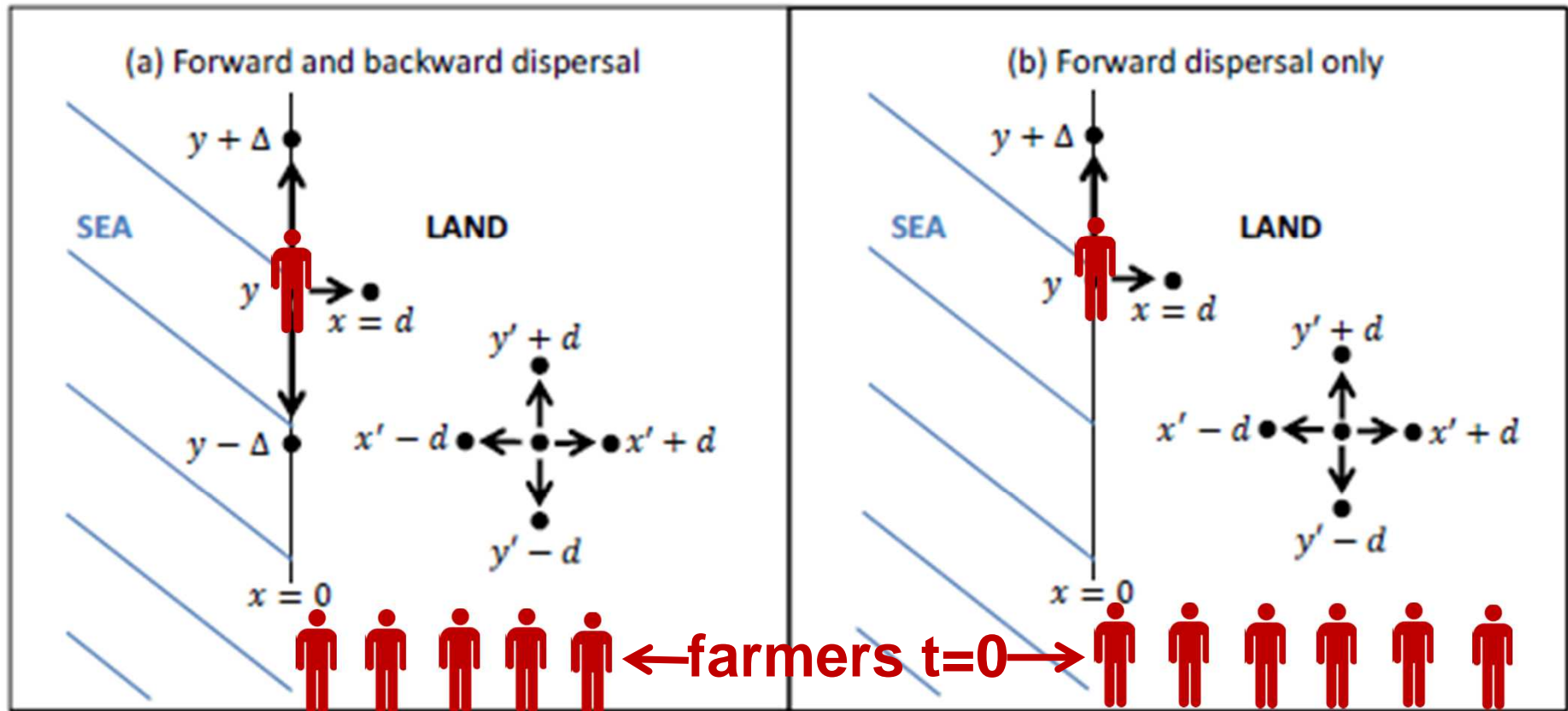
(3) Dispersal: 38% do not migrate ($p_e=0.38$), from ethnography.

Two dispersal ABMs: next slide

Two agent-based models (ABMs)

First model

Second model



Inland: $d = 50$ km from ethnography, and to obtain 1 km/yr as observed. We want to find what values of the sea-travel distance Δ are consistent with the observed spread rate along the coast (7.5-10.6 km/yr, slide #4).

Theory

First equations for the **spread rate s** along a coast [4]

· First model (forward and backward dispersal):

$$s = \min_{\lambda > 0} \frac{\ln \left[R_0^F (1 + \eta) \left(\frac{2p_e + 1}{3} + \frac{2}{3} (1 - p_e) \cosh(\lambda \Delta) \right) \right]}{\lambda T}$$

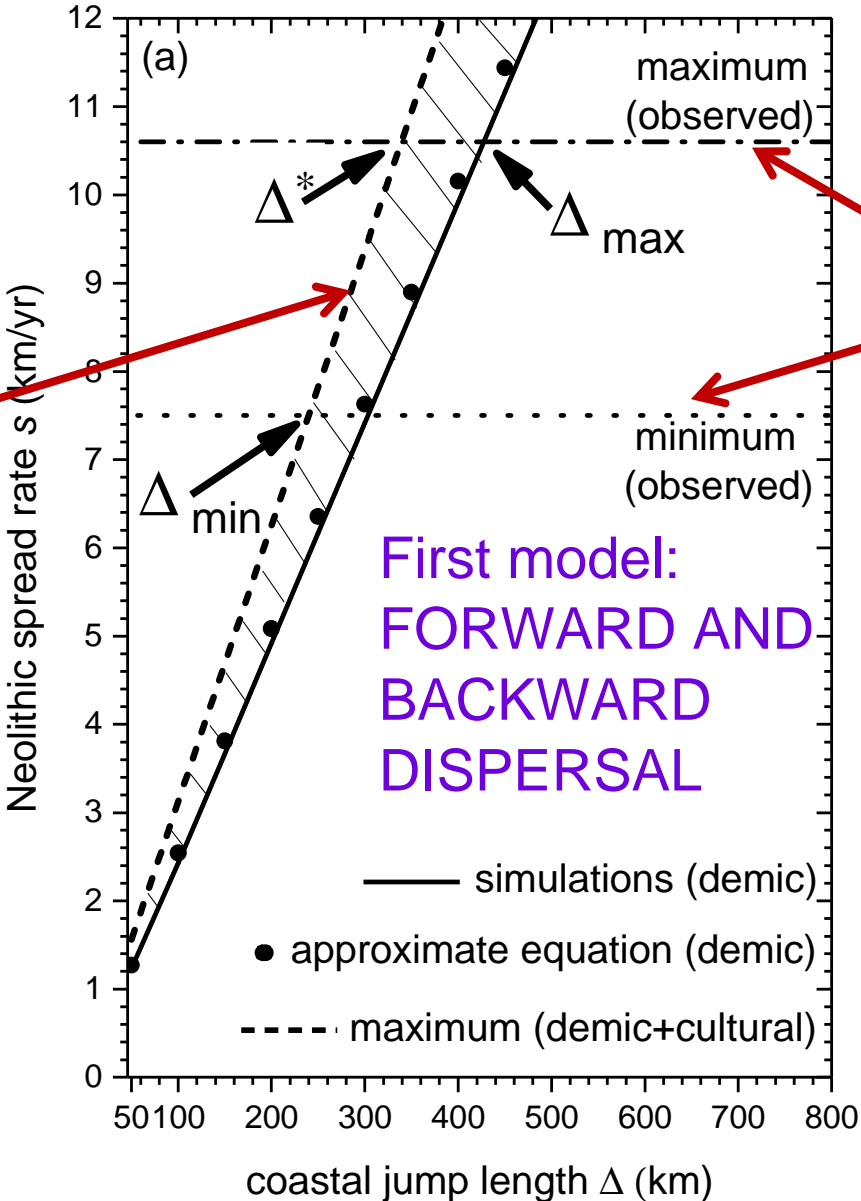
· Second model (forward dispersal only):

$$s = \min_{\lambda > 0} \frac{\ln \left[R_0^F (1 + \eta) \left(\frac{p_e + 1}{2} + \frac{1 - p_e}{2} e^{\lambda \Delta} \right) \right]}{\lambda T}$$

Results

maximum possible spread rate:

$$s_{max} = \Delta/T$$



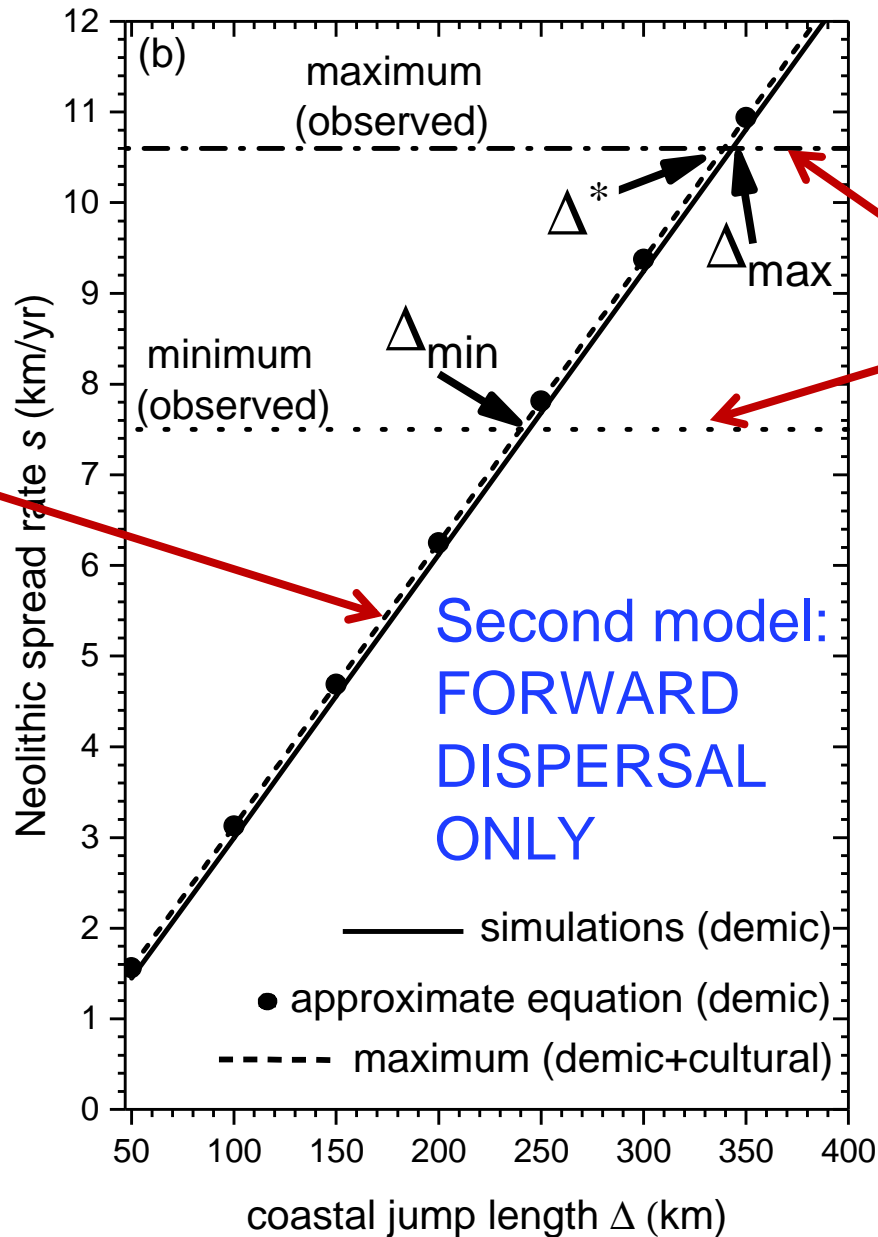
archaeological data: **7.5-10.6 km/yr**
 (slide #4)

Results from this figure:
 $\Delta_{min} = 240$ km
 $\Delta_{max} = 427$ km

Results

maximum possible spread rate:

$$s_{max} = \Delta/T$$



archaeological data: 7.5-10.6 km/yr (slide #4)

Second model: FORWARD DISPERSAL ONLY

Results from this figure:

$$\Delta_{min} = 240 \text{ km}$$

$$\Delta_{max} = 343 \text{ km}$$

Results

1st model (forward and backward dispersal): $\Delta_{min} = 240$ km, $\Delta_{max} = 427$ km

2nd model (forward dispersal only): $\Delta_{min} = 240$ km, $\Delta_{max} = 343$ km

Overall range: $240 \text{ km} \leq \Delta \leq 427 \text{ km}$ per generation

Technical notes:

1. Why are they much longer than **inland (about 50 km)**?

Perhaps because by foot: $5 \text{ km/hour} \cdot 10 \text{ hours} = 50 \text{ km}$
but ancient boats (reconstructions): $19 \text{ km/h} \cdot 13 \text{ h} = 250 \text{ km}$.

2. Not surprising because ethnographic records of pre-industrial peoples used to sea travel display such long distances. Examples:

- Fiji to Samoa (**>700 km**) to get married since >300 years ago.
- XIX-century migrations from Nukuria to Mimigo (**1,100 km**), the Gilberts to the Solomons (**1,900 km**) and to Buka (**2,200 km**), etc.
- routine travels of **650-975 km** by pre-Columbian Caribbeans.
- Kula ring travels, near Papua New Guinea, early XXth century, **150 km**.
- Obsidian trade in near Oceania: **240 km** 20,000 yr BP, **400 km** by¹ Lapita populations 3,000 yr ago.

Cultural effect

Cultural effect= Percentage C of cultural diffusion [3]:

$$C = \frac{s - s_{\eta=0}}{s} \cdot 100 \quad (1)$$

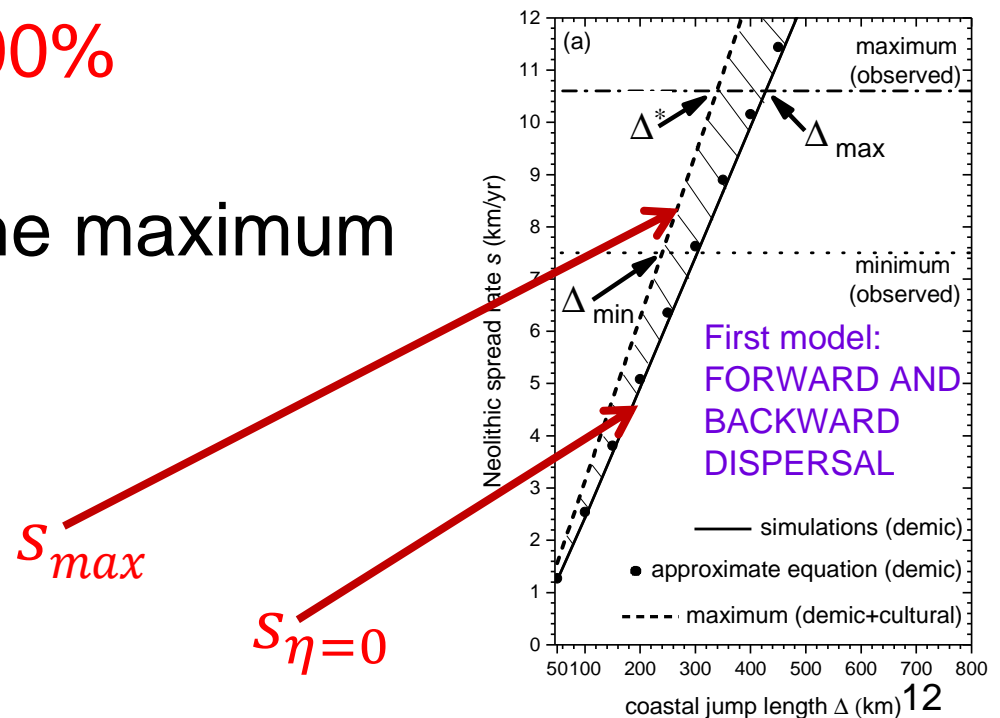
Percentage D of demic diffusion:

$$D = \frac{s_{\eta=0}}{s} \cdot 100$$

Therefore: $C + D = 100\%$

From Eq. (1) we find the maximum cultural effect:

$$C_{max} = \frac{s_{max} - s_{\eta=0}}{s_{max}} \cdot 100$$



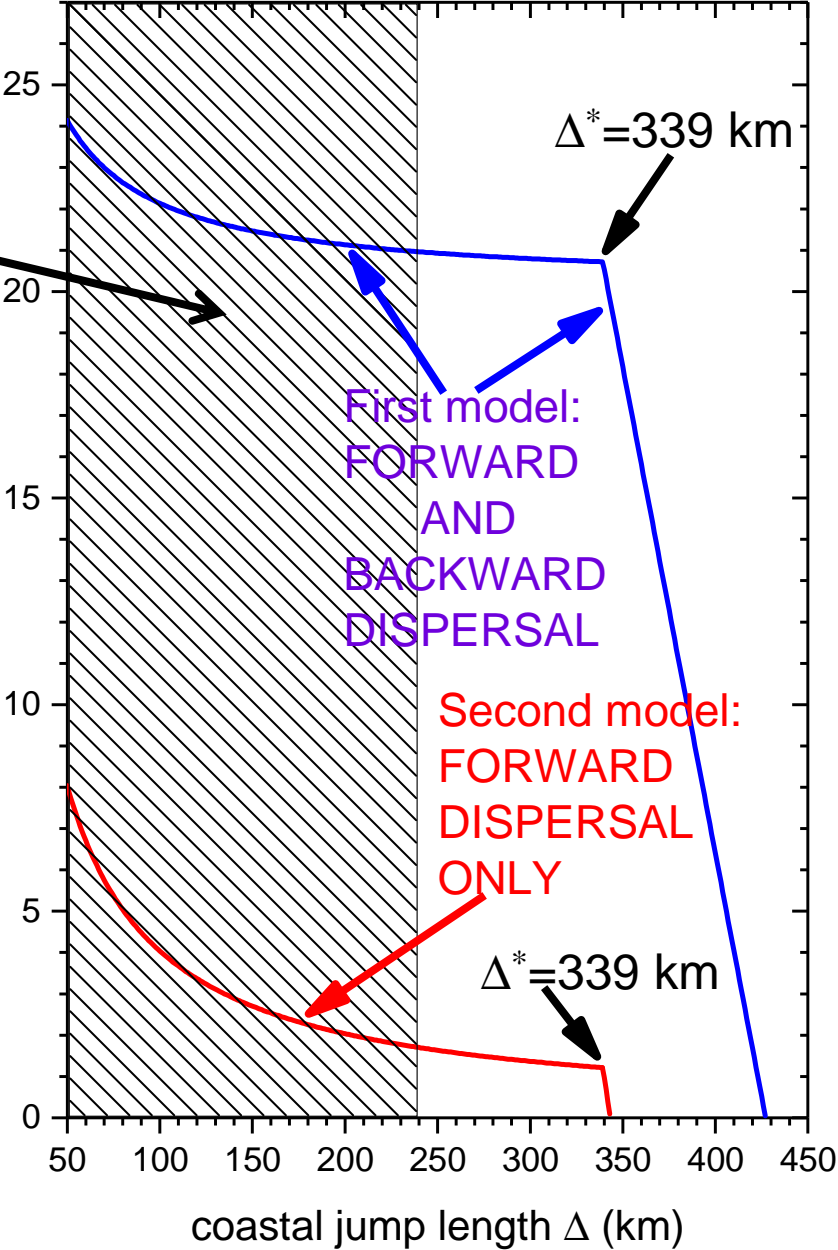
[3] Fort, *PNAS* 2012

Results

shaded area:
inconsistent
with the
archaeological
data because
 $\Delta_{min} = 240$ km
for both
models

C_{max}

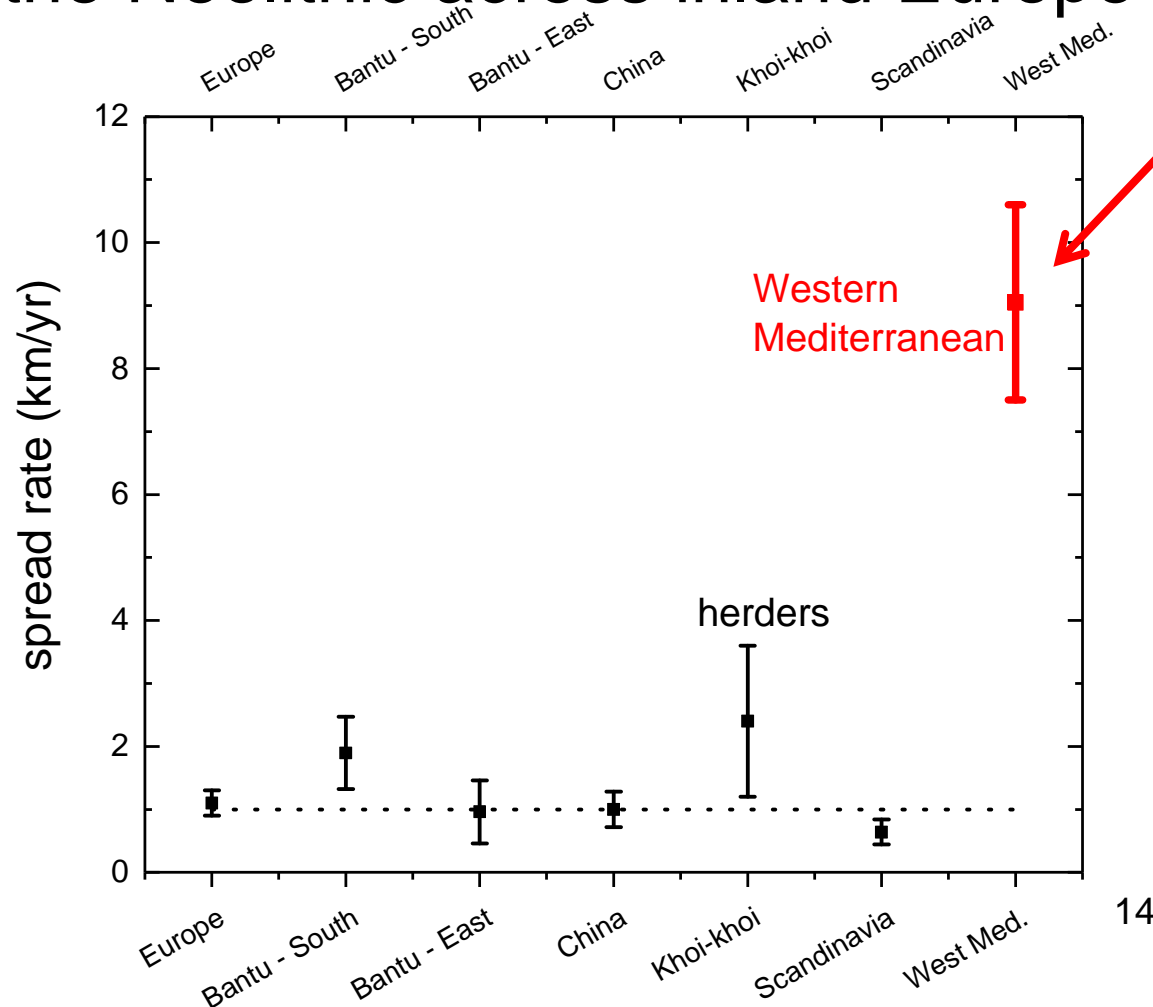
maximum cultural effect (%)



Results from
this figure:
 $C_{max} = 0-21\%$ 1st model
 $C_{max} = 0-2\%$ 2nd model

Conclusions

- Neolithic spread rate in the western Mediterranean: **7.5-10.6 km/yr.**
- Much faster than the Neolithic across inland Europe (~1 km/yr) and all other Neolithic rates that have been measured so far (all of them **inland**):



Conclusions

- Dispersal distances Δ along the coast: 240-427 km per generation.
- Much longer than **inland ($d \sim 50$ km)**.

Technical note: The inland value ($d \sim 50$ km) is well-established in 2 ways: 1. by ethnographic data of pre-industrial farmers [4,5].
2. to obtain the observed spread rate (~ 1 km/yr) using ABM simulations or analytical equations [4,6].

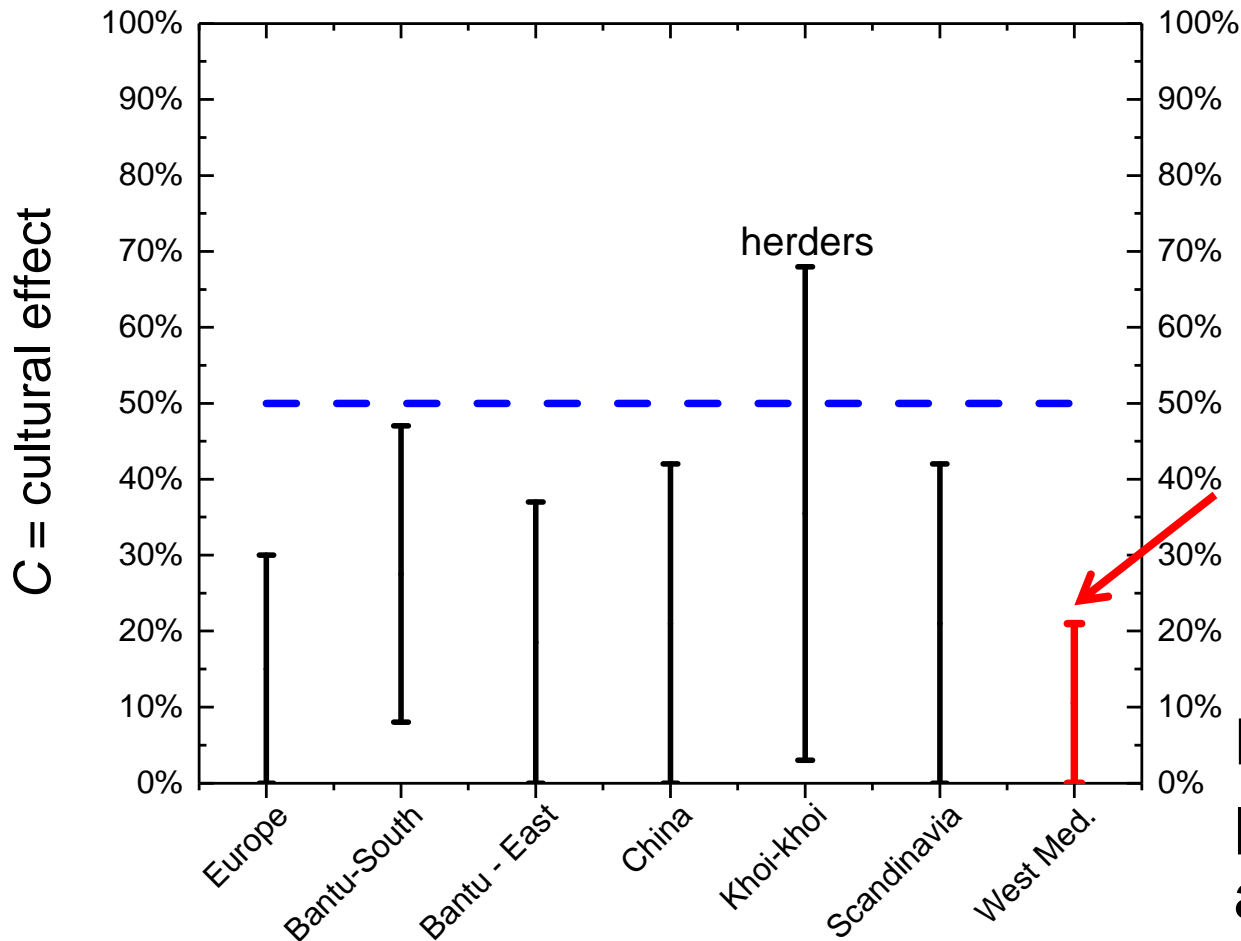
[4] Ammeman & Cavalli-Sforza, *The Neolithic...*, Princeton (1984)

[5] Fort, *Sci. Rep.* (2020), Supp. Info.

[6] Fort, *PNAS* (2012)

Conclusions

- Cultural effect **0-21%**.
- Previously only *inland* results for the Neolithic cultural effect. They all yield upper bounds >21%:



Technical note:

Consistent with this range (0%-21%), Genetics suggests a cultural effect of 1%-2% [7].

[7] Fort, *Human Popul. Genet. Genom.* (2022)

Differences with previous results are substantial